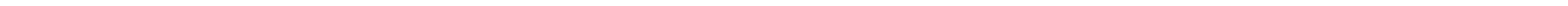


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# NEWTON'S LAWS



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# Facts about FORCE

- Unit is the **NEWTON(N)**
  - Is by definition a push or a pull
  - Can exist during physical contact(Tension, Friction, Applied Force)
  - Can exist with NO physical contact, called FIELD FORCES ( gravitational, electric, etc)
-

# Newton's First Law – The Law of Inertia

**INERTIA** – a quantity of matter, also called **MASS**. Italian for “LAZY”. Unit for MASS = **kilogram**.

**Weight** or Force due to Gravity is how your MASS is effected by gravity.

$$W = mg$$

**NOTE:** MASS and WEIGHT are NOT the same thing. MASS never changes When an object moves to a different planet.

What is the weight of an 85.3-kg person on earth? On Mars=3.2 m/s/s)?

$$W = mg \rightarrow W = (85.3)(9.8) = 835.94N$$

$$W_{MARS} = (85.3)(3.2) = 272.96N$$

# Newton's First Law

An object in motion remains in motion in a straight line and at a constant speed **OR** an object at rest remains at rest, **UNLESS** acted upon by an **EXTERNAL** (unbalanced) Force.

There are **TWO** conditions here and one constraint.

**Condition #1** - The object **CAN** move but must be at a **CONSTANT SPEED**

**Condition #2** - The object is at **REST**

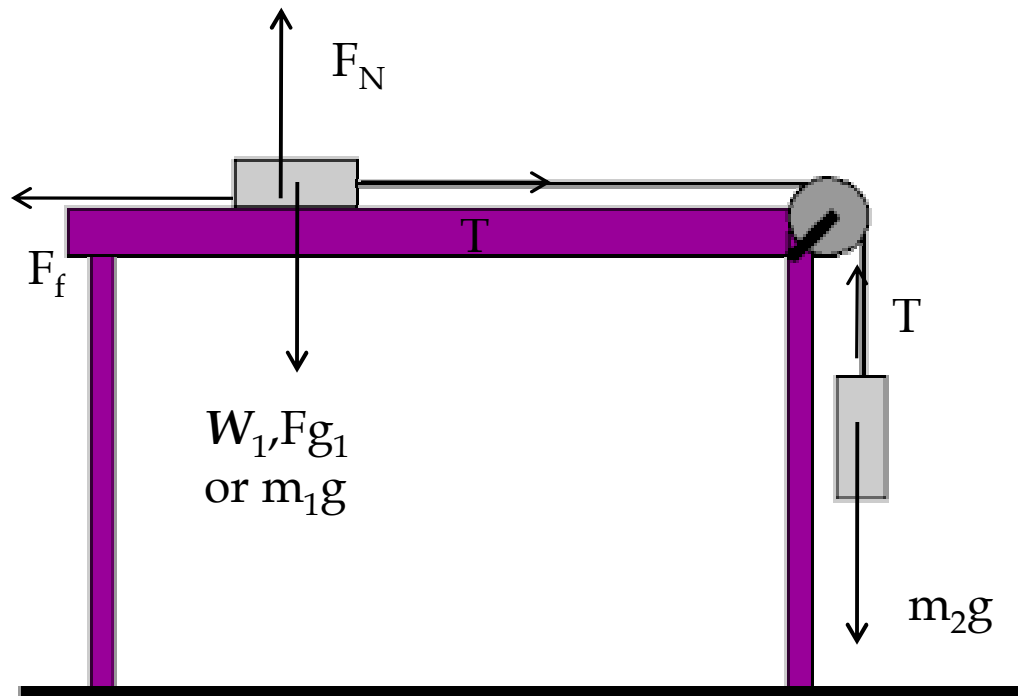
**Constraint** - As long as the forces are **BALANCED!!!!** And if all the forces are balanced the **SUM** of all the forces is **ZERO**.

**The bottom line:** There is **NO ACCELERATION** in this case **AND** the object must be at **EQUILIBRIUM** ( All the forces cancel out).

$$acc = 0 \rightarrow \sum F = 0$$

# Free Body Diagrams

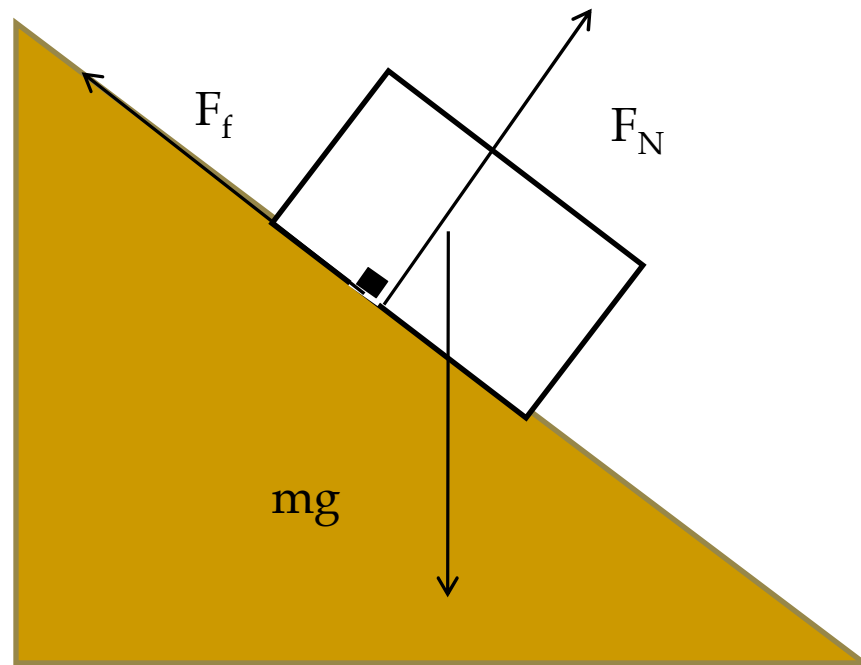
A pictorial representation of forces complete with labels.



- **Weight ( $mg$ )** - Always drawn from the center, straight down
- **Force Normal ( $F_N$ )** - A surface force always drawn perpendicular to a surface.
- **Tension ( $T$  or  $F_T$ )** - force in ropes and always drawn AWAY from object.
- **Friction ( $F_f$ )** - Always drawn opposing the motion.

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# Free Body Diagrams



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# N.F.L and Equilibrium

Since the  $F_{\text{net}} = 0$ , a system moving at a constant speed or at rest MUST be at **EQUILIBRIUM.**

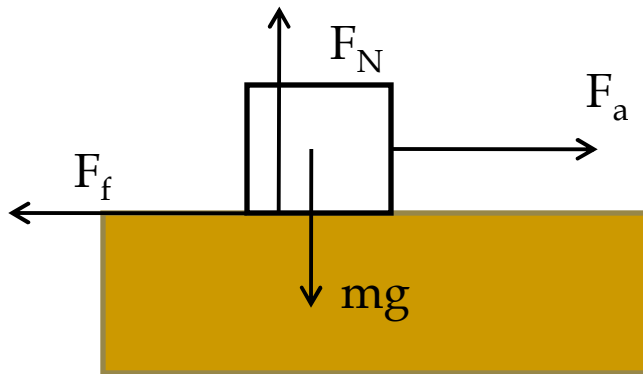
## TIPS for solving problems

- Draw a FBD
  - Resolve anything into COMPONENTS
  - Write equations of equilibrium
  - Solve for unknowns
-

# Example

A 10-kg box is being pulled across the table to the right at a constant speed with a force of 50N.

- a) Calculate the Force of Friction  $F_a = F_f = 50N$
- b) Calculate the Force Normal



$$mg = F_n = (10)(9.8) = 98N$$



# Example

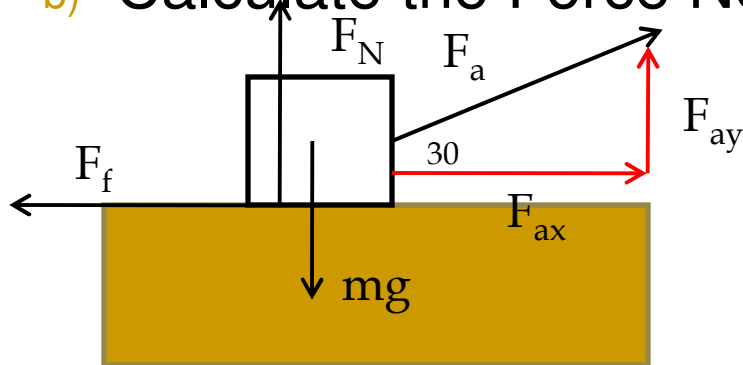
Suppose the same box is now pulled at an angle of 30 degrees above the horizontal.

a) Calculate the Force of Friction

$$F_{ax} = F_a \cos \theta = 50 \cos 30 = 43.3N$$

$$F_f = F_{ax} = 43.3N$$

b) Calculate the Force Normal



$$F_N \neq mg!$$

$$F_N + F_{ay} = mg$$

$$F_N = mg - F_{ay} \rightarrow (10)(9.8) - 50 \sin 30$$

$$F_N = 73N$$

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## What if it is NOT at Equilibrium?

If an object is NOT at rest or moving at a constant speed, that means the FORCES are UNBALANCED. One force(s) in a certain direction over power the others.

**THE OBJECT WILL THEN ACCELERATE.**

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# Newton's Second Law

The acceleration of an object is directly proportional to the NET FORCE and inversely proportional to the mass.

$$a \propto F_{NET} \quad a \propto \frac{1}{m}$$

$$a = \frac{F_{NET}}{m} \rightarrow F_{NET} = ma$$

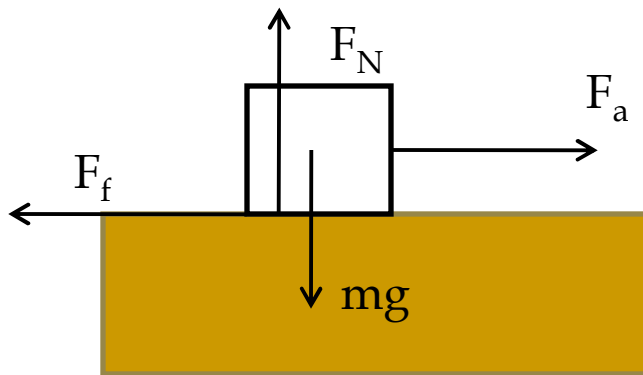
$$F_{NET} = \sum F$$

## Tips:

- Draw an FBD
- Resolve vectors into components
- Write equations of motion by adding and subtracting vectors to find the NET FORCE. Always write larger force - smaller force.
- Solve for any unknowns

# N.S.L

A 10-kg box is being pulled across the table to the right by a rope with an applied force of 50N. Calculate the acceleration of the box if a 12 N frictional force acts upon it.



In which direction, is this object accelerating?

The X direction!

So N.S.L. is worked out using the forces in the "x" direction only

$$F_{Net} = ma$$

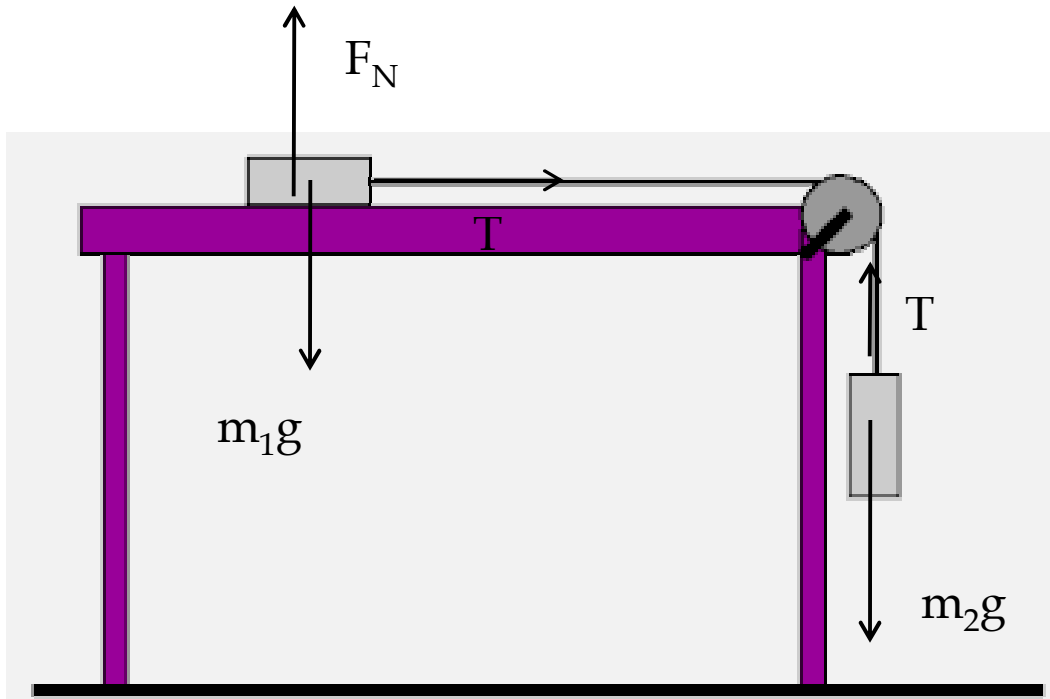
$$F_a - F_f = ma$$

$$50 - 12 = 10a$$

$$a = 3.8 \text{ m/s}^2$$

# Example

A mass,  $m_1 = 3.00\text{kg}$ , is resting on a frictionless horizontal table is connected to a cable that passes over a pulley and then is fastened to a hanging mass,  $m_2 = 11.0\text{ kg}$  as shown below. Find the acceleration of each mass and the tension in the cable.



$$F_{Net} = ma$$

$$m_2g - T = m_2a$$

$$T = m_1a$$

$$m_2g - m_1a = m_2a$$

$$m_2g = m_2a + m_1a$$

$$m_2g = a(m_2 + m_1)$$

$$a = \frac{m_2g}{m_1 + m_2} \rightarrow \frac{(11)(9.8)}{14} = 7.7 \text{ m/s}^2$$

# Example

$$F_{Net} = ma$$

$$m_2g - T = m_2a$$

$$T = m_1a$$

$$T = (3)(7.7) = 23.1 N$$

$$F_{Net} = ma \rightarrow \frac{F_{NET}}{a} = m$$

$$Slope = \frac{Rise}{Run}$$

